

Bulk-Diffusion of Fluids through quartz

Experimental Evidence?

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Question:

Can the properties of fluid inclusions change?

Are fluid inclusions flexible, open systems?

Answer:

No!, but (says the optimist)

Yes!, but (says the pessimist)

So, what! (says the ignoramus)

Possible Processes Inclusion Alteration

process

driving forces

1. Recrystallization

surface forces

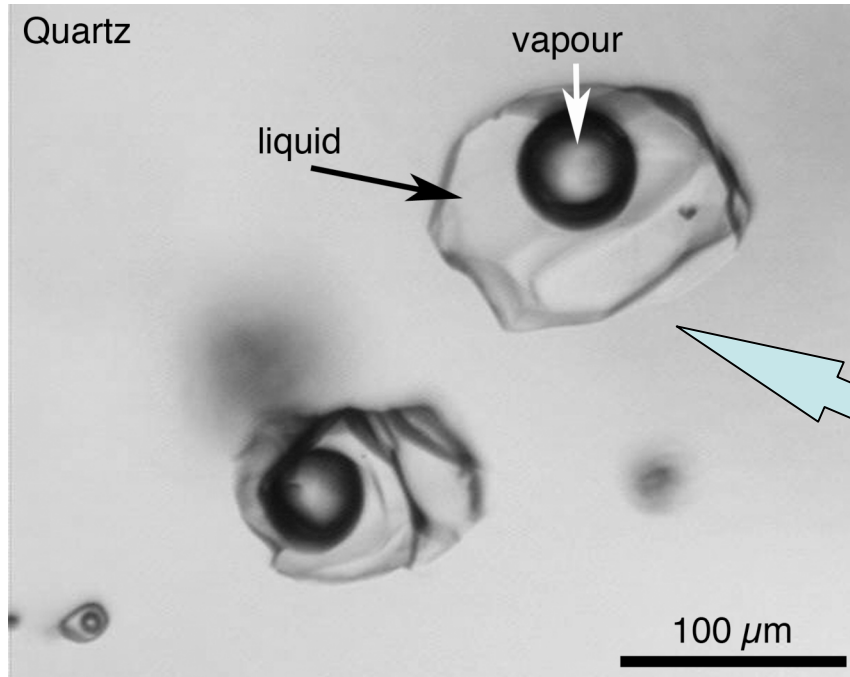
2. Deformation

tectonic forces

3. Diffusion

concentration gradients

Diffusion



Can fluids diffuse through quartz?



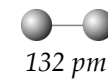
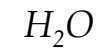
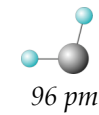
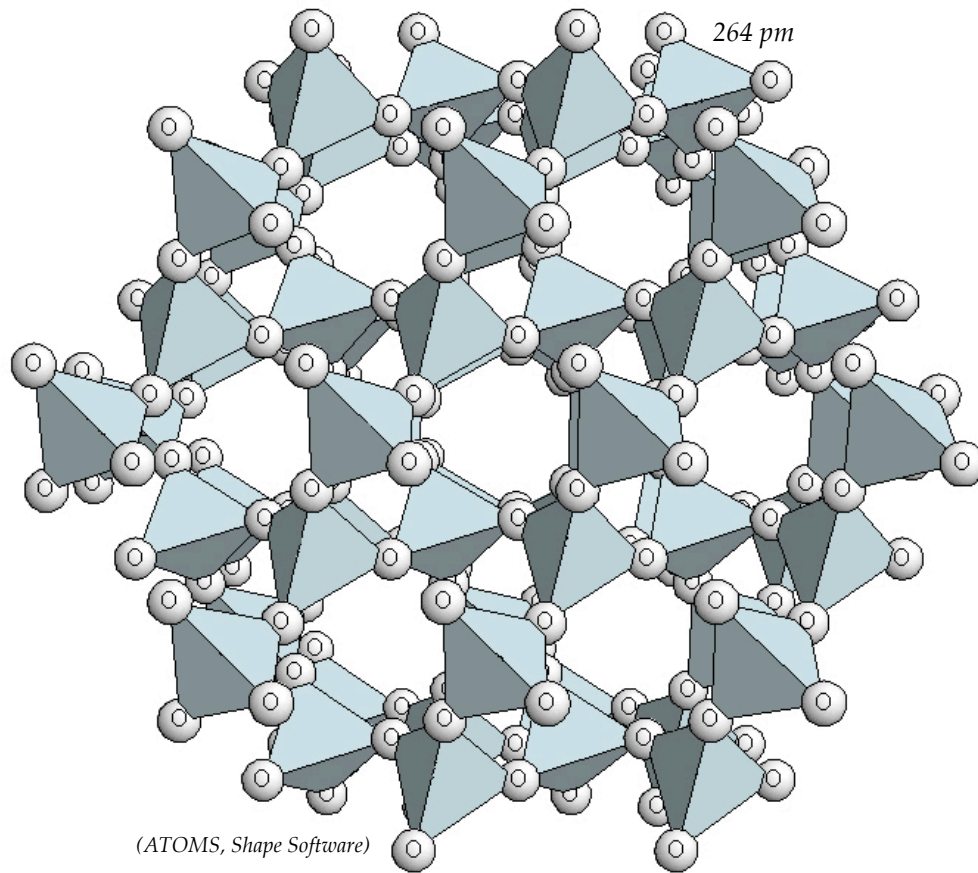
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Quartz = highly dilute solid solution!

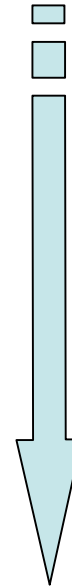
1. solvent = Si and O atoms in quartz lattice (solid phase)
2. solute = fluid components (H_2O , CO_2 , etc)

Solubility of water

1. interstitial impurity
2. substitutional impurity
3. fluid inclusions



charged



slower

Diffusion

Def.

Matter is transported from one part of a system to another as a result of „random“ molecular motions. In a dilute solution each molecule behaves independently of the others and is constantly undergoing collision with the solvent molecules. As a result it moves without preferred direction („random walk“).

Crank (1979)

There is a net transfer from the higher to the lower concentration side as a result of this „random walk“

Mathematical Theory

Fick's Laws

$$J = -D \frac{\partial C}{\partial x}$$
$$\frac{\partial C}{\partial t} = D \frac{\partial^2 C}{\partial x^2}$$

Diffusion Coefficient

D

Experimental Diffusion Coefficients

- Hydrothermal Experiments, Deformation Experiments
- What was measured: Isotopic variation of quartz (oxygen isotopes)
Tracer particles in quartz
Deformation Phenomena (hydrolitic weakening)
- Detection method: Infrared Spectroscopy → H_2O and OH^-
Mass Spectroscopy (secondary ions) → ^{18}O and ^{16}O
Optical Microscopy
- What was modelled: Concentration Profile
One-dimensional diffusion model

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Diffusion Coefficients: numbers?

Deformation experiments

1. Diffusion of H₂O is too slow within the limits of experimentation

Ref. Kronenberg et al. (1986)

Gerretsen et al. (1989)

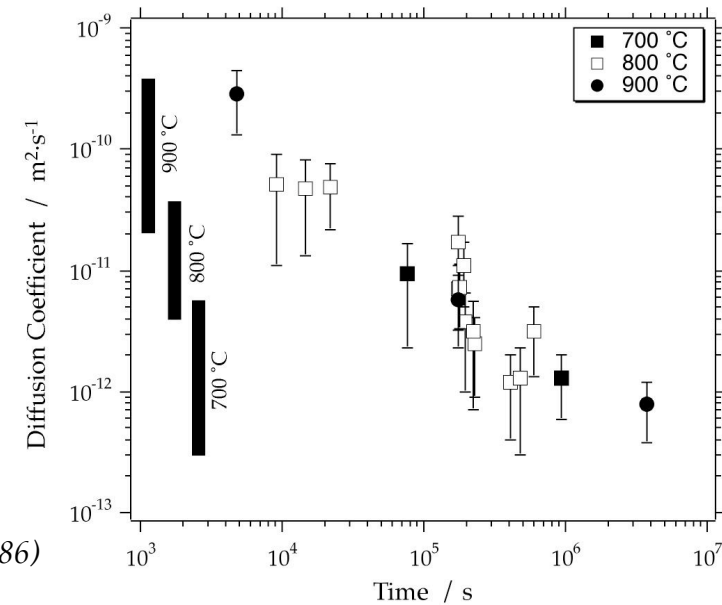
2. Synthetic quartz behaves completely different

 grown-in water defects during synthesis

Hypothesis: crack-assistent diffusion

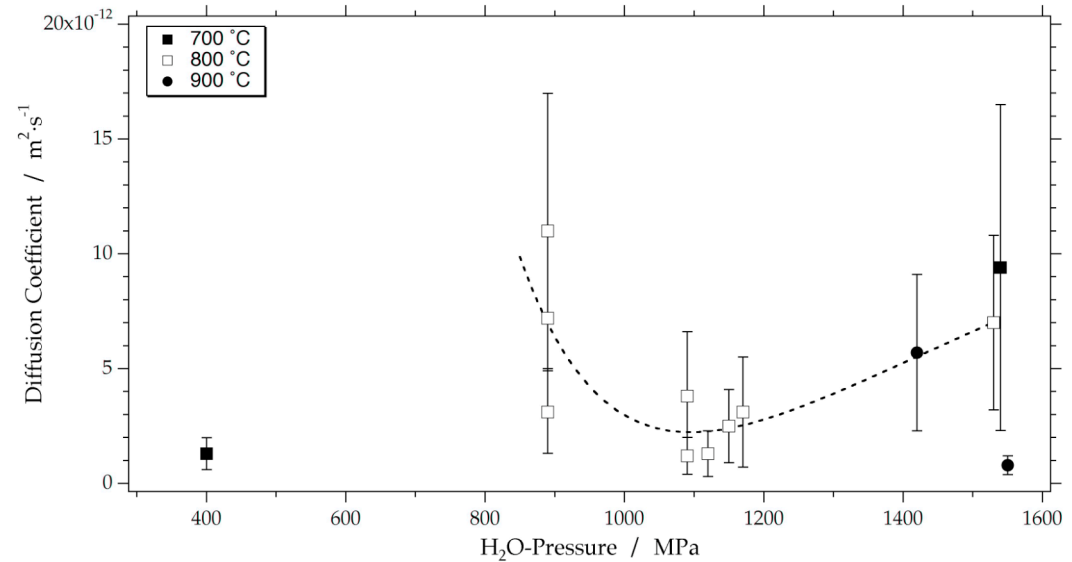
Diffusion Coefficients: numbers?

Temperature dependence?



re-evaluated data Kronenberg et al. (1986)

Pressure dependence?



Diffusion Coefficients: numbers?

1. rate-defining step: diffusion
 or
 isotope exchange reaction



2. what are the diffusing species?
3. experimental quenching technique
4. three-dimensional diffusion model

Mathematical Diffusion Model for Fluid / Melt Inclusions

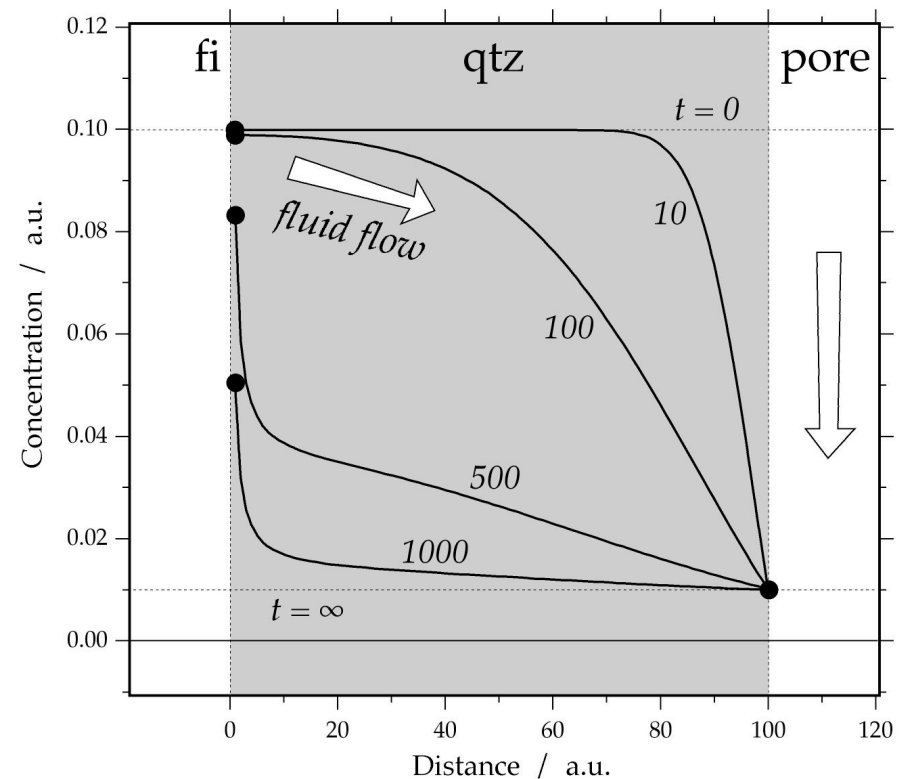
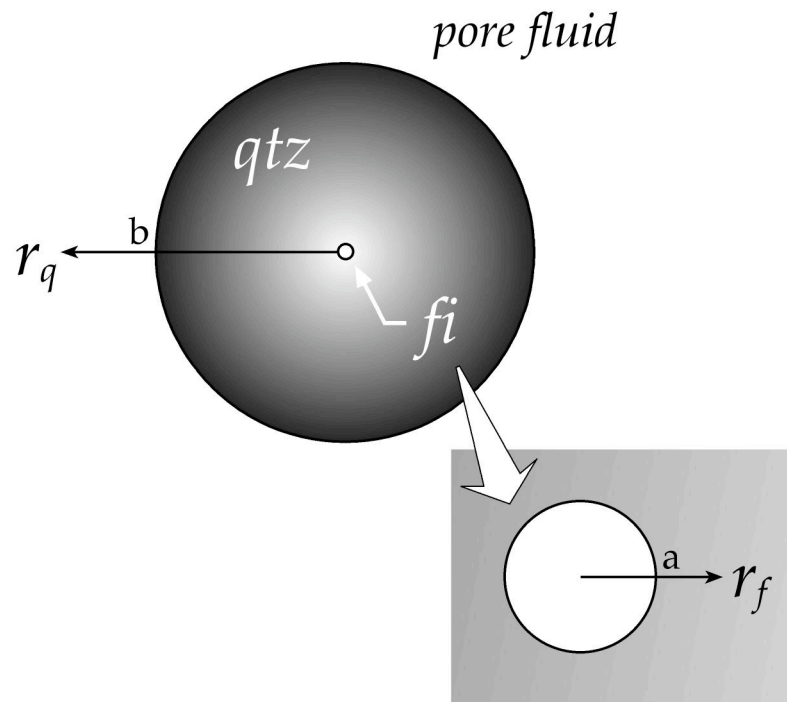
Qin, Lu & Anderson (1992)

Radial diffusion

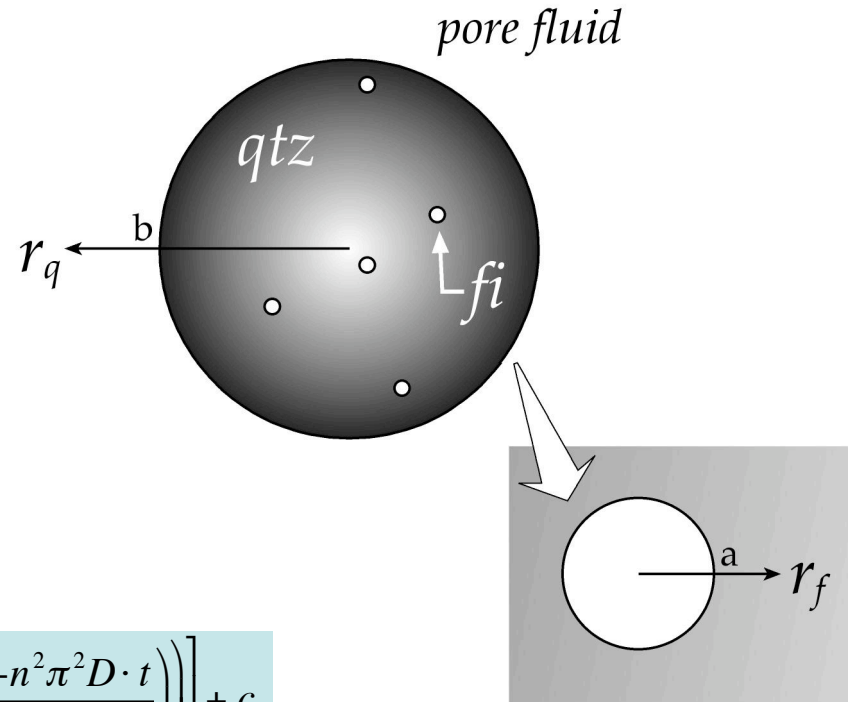
Inclusion in center of crystal

Pore fluid concentration is constant

$$C_1(t) = C_e + \frac{2\beta}{\alpha}(C_0 - C_e) \cdot \sum_{n=1}^{\infty} \frac{\exp(-q_n^2 Dt / b^2)}{\gamma q_n \sin[q_n(1-\alpha)] + [\alpha(1-\alpha)q_n^2 - \beta/\alpha] \cos[q_n(1-\alpha)]}$$



New Diffusion Model



1. diffusion pores → quartz

infinite external source

$$c = (c_1 - c_0) \cdot \left[1 + \frac{2b}{\pi \cdot r_q} \sum_{n=1}^{\infty} \left(\frac{(-1)^n}{n} \sin\left(\frac{n \cdot \pi \cdot r_q}{b}\right) \exp\left(\frac{-n^2 \pi^2 D \cdot t}{b^2}\right) \right) \right] + c_0$$

2. diffusion quartz → inclusions

instantaneous point source

$$c = c_0 + \frac{(c_1 - c_0)}{2} \cdot \left[\operatorname{erf}\left(\frac{a + r_f}{2\sqrt{D \cdot t}}\right) + \operatorname{erf}\left(\frac{a - r_f}{2\sqrt{D \cdot t}}\right) \right] - \frac{(c_1 - c_0)}{2} \sqrt{\frac{D \cdot t}{\pi}} \cdot \left(\exp\left(\frac{-(a - r_f)^2}{4 \cdot D \cdot t}\right) - \exp\left(\frac{-(a + r_f)^2}{4 \cdot D \cdot t}\right) \right)$$

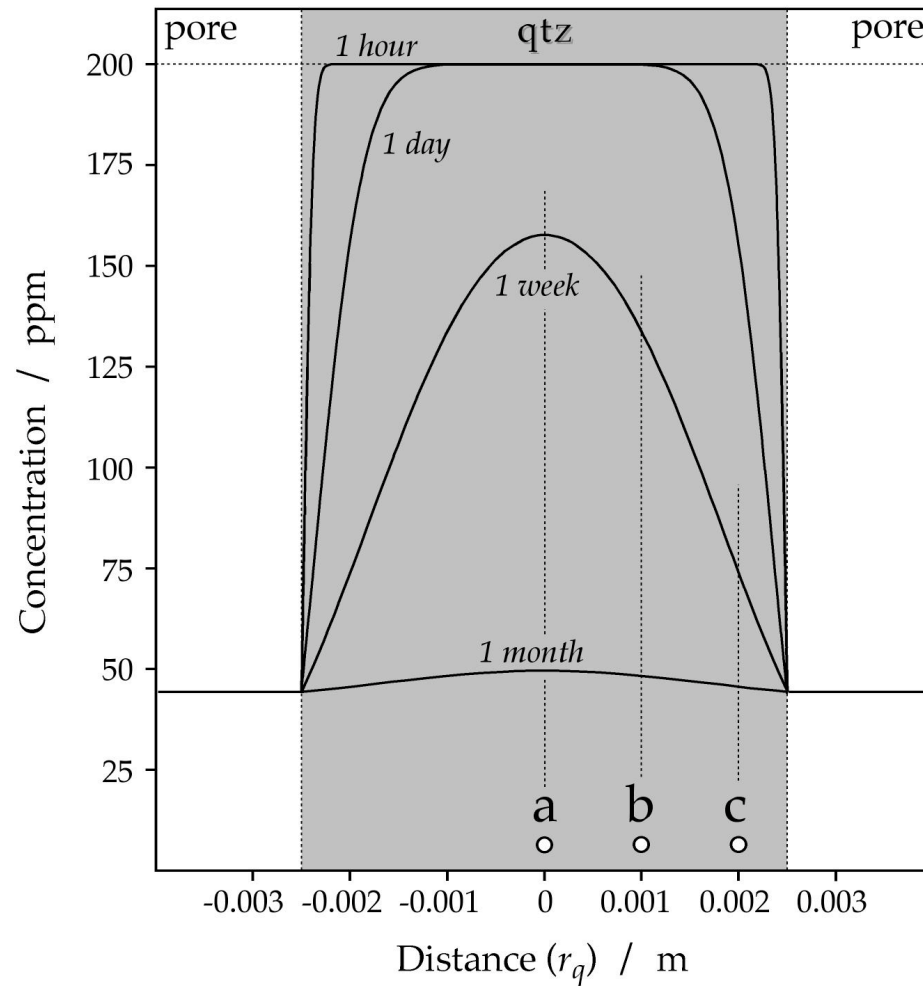
Example calculation

Fluid Inclusions (a, b, c) trapped at 500 °C and 500 MPa

uplift to 100 MPa

$$D = 10^{-12} \text{ m}^2 \cdot \text{s}^{-1}$$

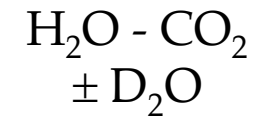
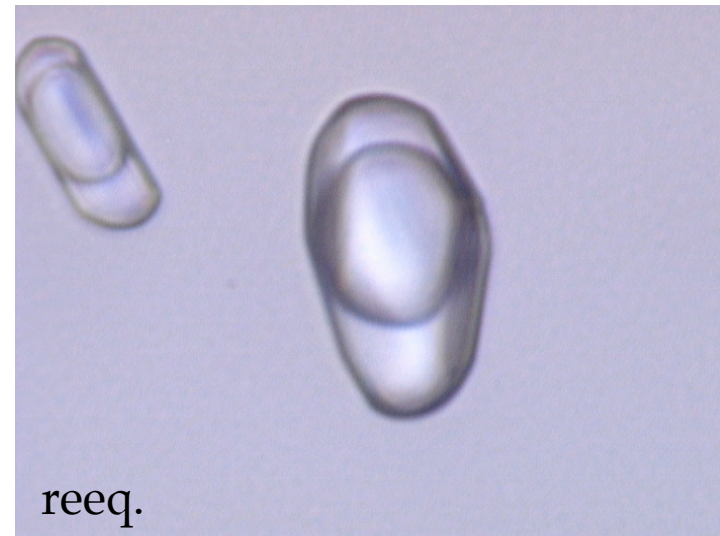
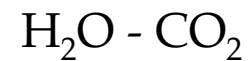
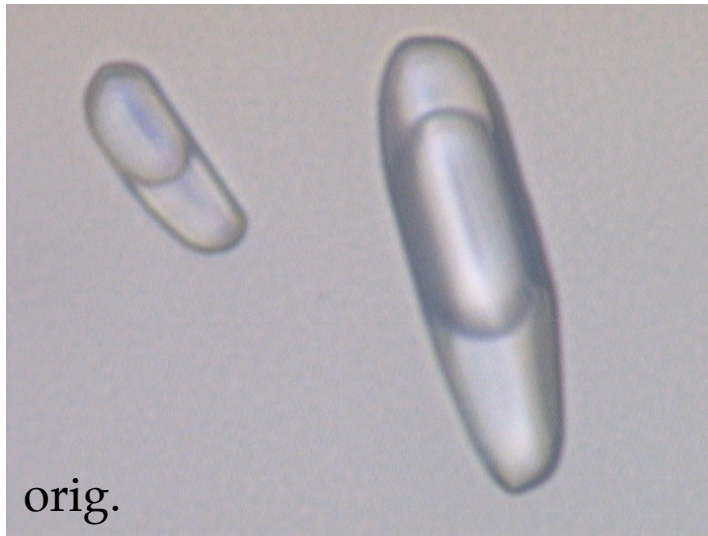
too fast!



New method

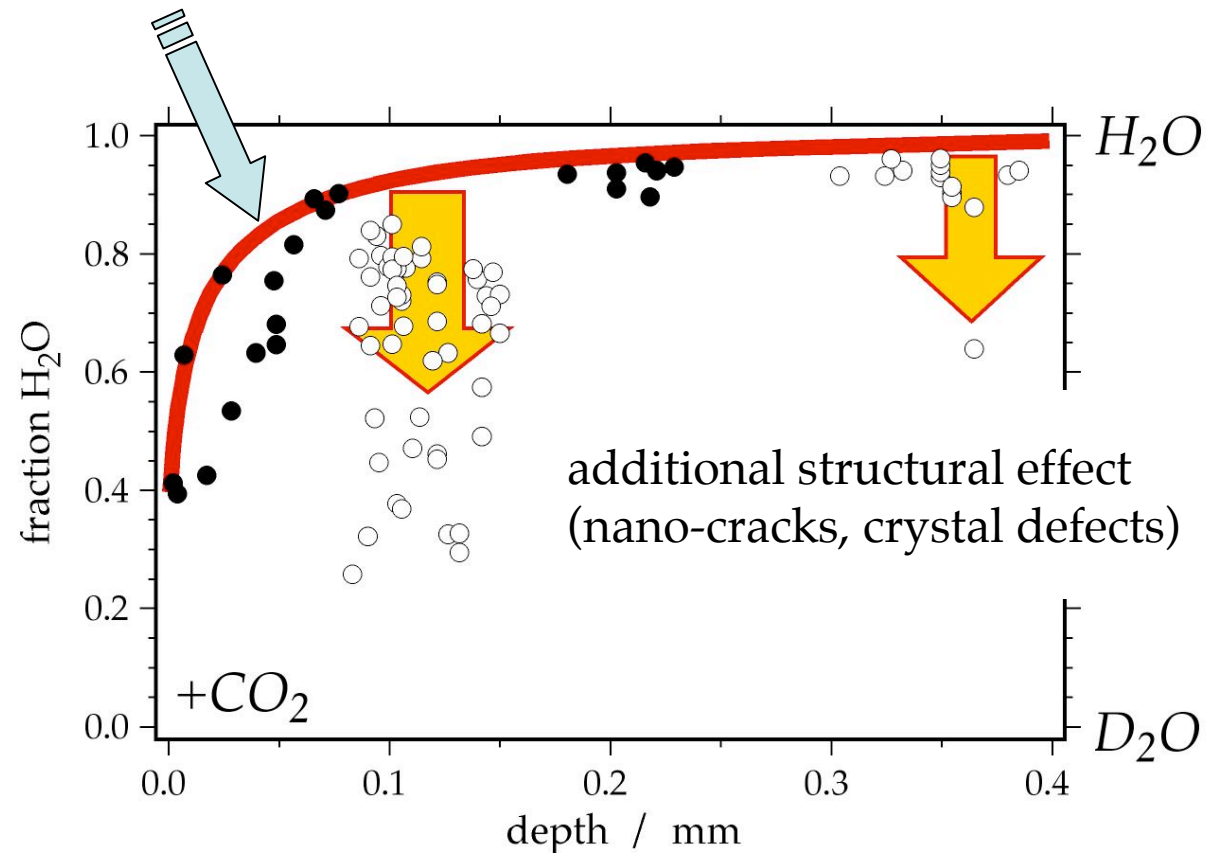
Properties of Fluid Inclusions (alterations in composition and density)

Re-equilibration experiments



Fluid Inclusions Properties

bulk-diffusion effect



my guess: $D \approx 10^{-14}$ to $10^{-15} \text{ m}^2 \cdot \text{s}^{-1}$

Conclusions

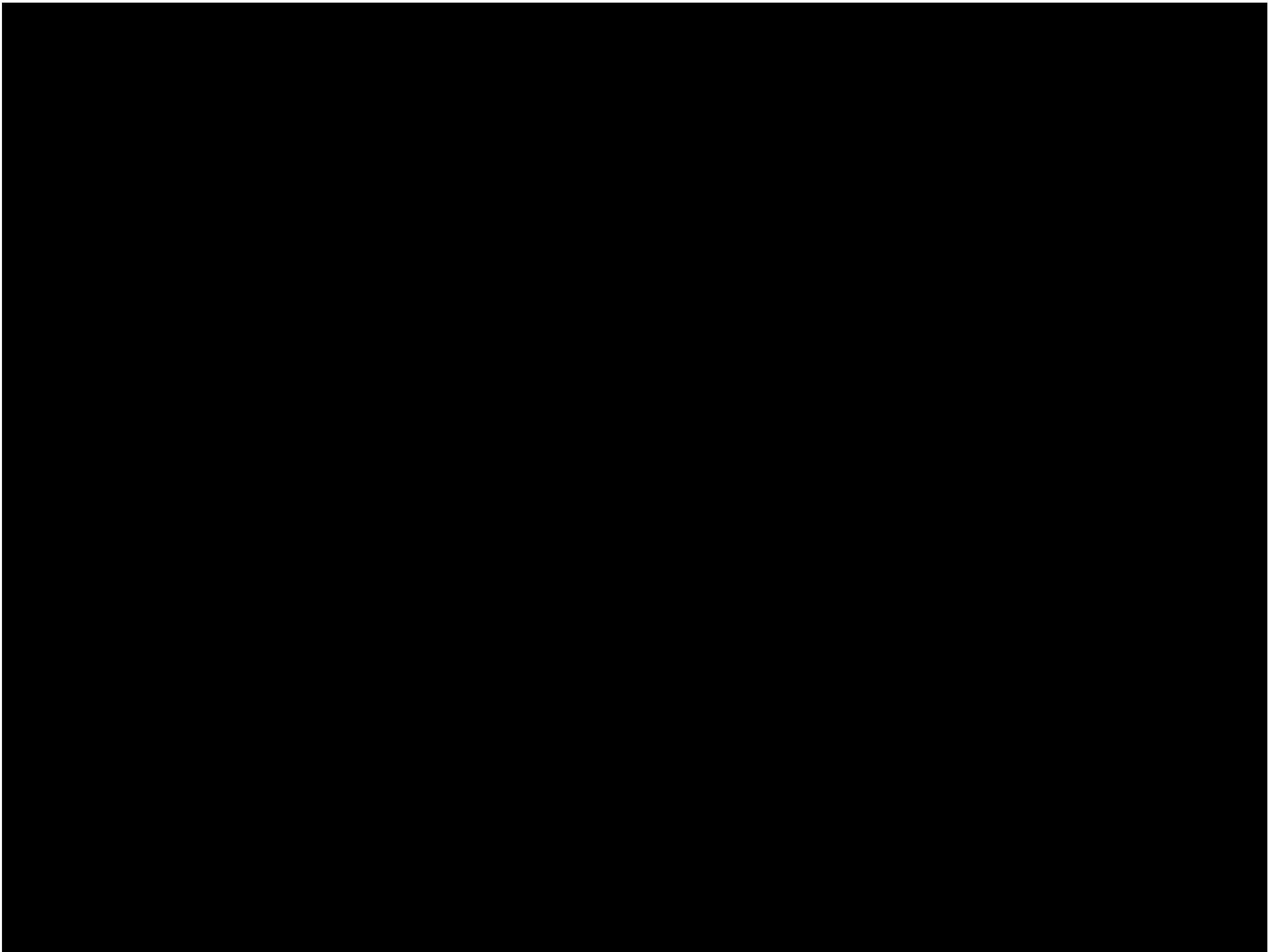
1. Solubility, Diffusion Coefficients of Fluids in Quartz

no substantial knowledge available!

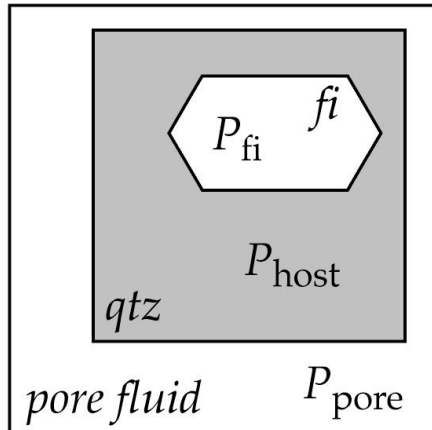
2. Fluid Inclusions

new tool to examine diffusion

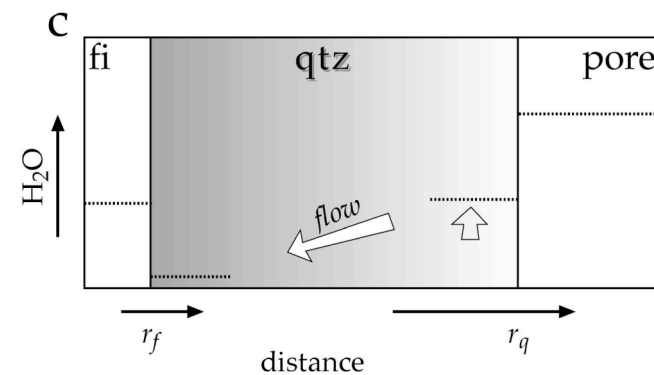
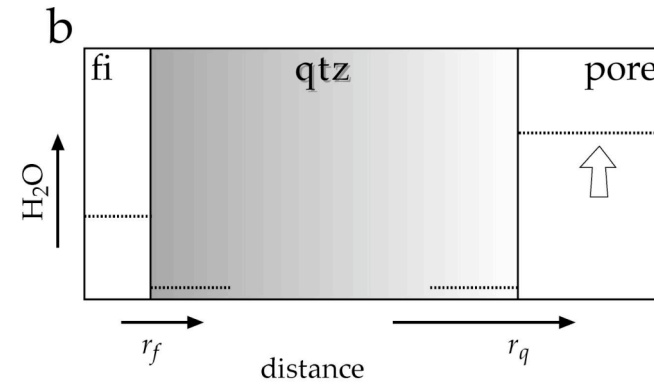
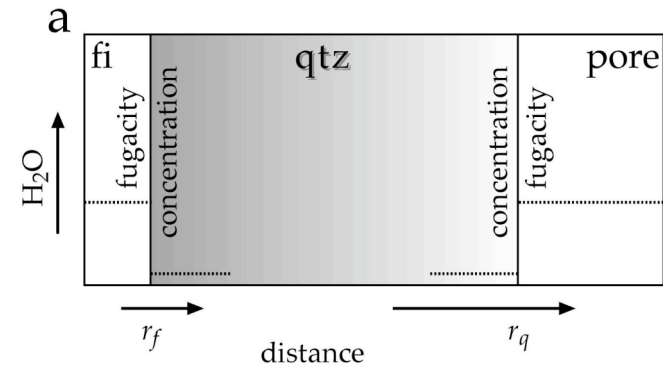
+ reliability of natural fluid inclusions



System Definition



Fugacity Gradients



Pressure Gradients

